

Algorithm for adding a new site  $p$  to a Voronoi diagram (inside the convex hull of existing sites)

- (1) Find the region which contains the new site.  
 $\hookrightarrow \text{Vor}(p_i)$  so  $p_i$  is the closest existing site to  $p$

- (2) Draw the perpendicular bisector of the segment  $pp_i$ .

This  $\perp$  bisector intersects the boundary of  $\text{Vor}(p_i)$  in exactly 2 points, call them  $x_1$  and  $x_2$ .

- (3) Let  $\text{Vor}(p_2)$  the other voronoi region on the voronoi edge containing  $x_1$ . Draw the perpendicular bisector of  $pp_2$ , which intersects the boundary of  $\text{Vor}(p_2)$  at  $x_1$  and  $x_3$ .

- (4) Repeat step 3, working around the new Voronoi cell, until the segments form a closed polygon.

- (5) Delete parts of old Voronoi edges that are inside the new region  $\text{Vor}(p)$ .

How would a Voronoi diagram be stored in memory?

### Doubly Connected Edge List (DCEL)

A data structure for storing 2D graphs, that permits adjacency queries.

The DCEL contains 3 lists:

- Vertices: store 2D coordinates, and a pointer to an adjacent edge
- Edges: consist of two opposite "halfedges", each of which have pointers to adjacent edges and an adjacent face.
- Faces: store a pointer to an adjacent edge, and also any other relevant data

